We study ordered Ramsey numbers, an analogue of the classical Ramsey numbers for graphs with linearly ordered vertex sets. Inspired by a problem posed by Conlon, Fox, Lee and Sudakov, we focus on ordered Ramsey numbers of ordered matchings $M^<$ versus triangles. We generalize their lower bound on $r_<(M^<, K_3^<)$ for ordered matchings with any fixed interval chromatic number. We also analyze an upper bound on $r_<(M^<, K_3^<)$ for almost all ordered matchings $M^<$ with interval chromatic number 2 obtained by Rohatgi and improve it from $O(n^{24/13})$ to $O(n^{7/4})$.